

Frama-C Training Session

Introduction to ACSL and its GUI

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CEA List

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Presentation

ACSL Specifications

Function contracts

First-order logic

Loops

Assertions

Deductive Verification

Hoare logic

Pointers and Memory

Jessie Plugin

long n;
for (i = 0; i < n; i++)
 tmp2 =
 ... of the

tmp2[i] = (i < (n-1) ? tmp1[i] : 0);
tmp1[i] = 0; k = k + 1; tmp1[i] = m2[i][k] * tmp2[k];
Final rounding: tmp2[i] is now represented on 9 bits: if (tmp1[i] < -256) m2[i] = -256; else if (tmp1[i] > 255) m2[i] = 255; else m2[i] = tmp1[i];



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tmp2[j] = (i <= (n0i - 1)) ? tmp1[j] : (i <= (n0i - 1)) ? tmp2[j] : (i <= (n0i - 1)) ? tmp1[j] : 1; /* Then the second pass looks like the first one: */
tmp1[0][k] = 0; k++; tmp1[0][k] += mc2[0][k] * tmp2[k][j]; /* The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1 -
i = 1; tmp1[0][i] >>= 1; */ Final rounding: tmp2[0][i] is now represented on 9 bits. *if (tmp1[0][i] < -256) m2[0][i] = -256; else if (tmp1[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tm



Main objective

Statically determine some semantic properties of a program

- ▶ safety: pointer are all valid, no arithmetic overflow, ...
- ▶ termination
- ▶ functional properties
- ▶ dead code
- ▶ ...

Embedded code

- ▶ Much simpler than desktop applications
- ▶ Some parts are critical, *i.e.* a bug have severe consequences (financial loss, or even dead people)
- ▶ Thus a good target for static analysis



Some tools

Polyspace Verifier Checks for (absence of) run-time error
C/C++/Ada)

http:

[//www.mathworks.com/products/polyspace/](http://www.mathworks.com/products/polyspace/)

ASTRÉE Absence of error *without false alarm* in
SCADE-generated code

http:

[//www.di.ens.fr/~cousot/projets/ASTREE/](http://www.di.ens.fr/~cousot/projets/ASTREE/)

Coverity Checks for various code defects (C/C++/Java)

http://www.coverity.com



Some tools (cont'd)

a3 Worst-case execution time and Stack depth

<http://www.absint.com/>

FLUCTUAT Accuracy of floating-point computations and origin of rounding errors

[http:](http://www-list.cea.fr/labs/fr/LSL/fluctuat/)

[//www-list.cea.fr/labs/fr/LSL/fluctuat/](http://www-list.cea.fr/labs/fr/LSL/fluctuat/)

Frama-C A toolbox for analysis of C programs

<http://frama-c.com/>



A brief history

- ▶ 90's: CAVEAT, an Hoare logic-based tool for C programs
- ▶ 2000's: CAVEAT used by Airbus during certification process of the A380
- ▶ 2002: Why and its C front-end Caduceus
- ▶ 2006: Joint project to write a successor to CAVEAT and Caduceus
- ▶ 2008: First public release of Frama-C (Hydrogen)
- ▶ today:
 - ▶ Frama-C Boron
 - ▶ Multiple projects around the platform
 - ▶ A growing community of users



- ▶ A modular architecture
- ▶ Kernel:
 - ▶ CIL (U. Berkeley) library for the C front-end
 - ▶ ACSL front-end
 - ▶ Global management of analyzer's state
- ▶ Various plug-ins for the analysis
 - ▶ Value analysis (abstract interpretation)
 - ▶ Jessie (translation to Why)
 - ▶ Slicing
 - ▶ Impact analysis
 - ▶ ...



ACSL: ANSI/ISO C Specification Language

Presentation

- ▶ Based on the notion of **contract**, à la Eiffel
- ▶ Allow the users to specify functional properties of their programs
- ▶ Allow communication between the various plugin
- ▶ Independent from a particular analysis

Basic Components

- ▶ First-order logic
- ▶ Pure C expressions
- ▶ C types + \mathbb{Z} (integer) and \mathbb{R} (real)
- ▶ Built-ins predicates and logic functions, particularly over pointers: `\valid(p)`, `\valid(p+0..2)`, `\separated(p+0..2,q+0..5)`, `\block_length(p),...`



Key Ingredients

Specification of a function

- ▶ Contract between caller and callee
- ▶ Callee **requires** some pre-conditions from the caller
- ▶ Callee **ensures** some post-conditions hold when it returns

A first example

```
unsigned int M;  
/*@  
  requires \valid(p) && \valid(q);  
  ensures M == (*p + *q) / 2;  
*/  
void mean(unsigned int* p, unsigned int* q) {  
  if (*p >= *q) { M = (*p - *q) / 2 + *q; }  
  else { M = (*q - *p) / 2 + *p; }  
}
```



Specification of Side Effects

The specification

```
/*@
```

```
  requires \valid(p) && \valid(q);
```

```
  ensures M == (*p + *q) / 2;
```

```
*/
```

```
void mean(unsigned int* p, unsigned int* q);
```

A valid implementation



Specification of Side Effects

The specification

```

/*@
  requires \valid(p) && \valid(q);
  ensures M == (*p + *q) / 2;

*/
void mean(unsigned int* p, unsigned int* q);

```

A valid implementation

```

void mean(int *p, int* q)
{
  *p = *q = M = 0;
}

```



Specification of Side Effects

The specification

```

/*@
  requires \valid(p) && \valid(q);
  ensures M == (*p + *q) / 2;
  ensures *p == \old(*p) && *q == \old(*q);
*/
void mean(unsigned int* p, unsigned int* q);
  
```

A valid implementation



Specification of Side Effects

The specification

```

/*@
  requires \valid(p) && \valid(q);
  ensures M == (*p + *q) / 2;
  ensures *p == \old(*p) && *q == \old(*q);
*/
void mean(unsigned int* p, unsigned int* q);

```

A valid implementation

```

int A = 42;
void mean(int *p, int* q) {
  if (*p >= *q) ... else ...
  A = 0; }

```



Specification of Side Effects

The specification

```

/*@
  requires \valid(p) && \valid(q);
  ensures M == (*p + *q) / 2;
  assigns M;
*/
void mean(unsigned int* p, unsigned int* q);
  
```

A valid implementation



Specification of Side Effects

The specification

```

/*@
  requires \valid(p) && \valid(q);
  ensures M == (*p + *q) / 2;
  assigns M;
*/
void mean(unsigned int* p, unsigned int* q);
  
```

A valid implementation

```

void mean(int *p, int* q) {
  if (*p >= *q) { M = (*p - *q) / 2 + *q; }
  else { M = (*q - *p) / 2 + *p; }
}
  
```



A more advanced example

Informal spec

- ▶ Input: a **sorted** array and its length, an element to search.
- ▶ Output: index of the element or -1 if not found

Towards a formal specification

```
int find_array(int* arr, int length, int query);
```

- ▶ How to specify the two distinct outcome?
- ▶ What does that mean for arr to be sorted?
- ▶ How to prove the implementation?

▶ Deductive Verification



Behaviors

```

/*@ behavior found:
   assumes \exists integer i;
      0<=i<length && arr[i] == query;
   ensures 0<=\result<length &&
      arr[\result] == query;
behavior not_found:
   assumes \forall integer i;
      0<=i<length ==> arr[i] != query;
   ensures \result == -1;
complete behaviors; disjoint behaviors;
*/
int find_array(int* arr, int length, int query);
  
```



Predicate definition

```

/*@
predicate sorted{L}(int* arr, int length) =
    \forall integer i,j;
        0<=i<=j<length ==> arr[i] <= arr[j];
*/

/*@ requires sorted{Here}(arr,length);
    requires \valid(arr+(0..length-1));
    requires length >= 0;
*/
int find_array(int* arr, int length, int query);
    
```



Axiomatic definition

```
/*@  
inductive sorted{L}(int* arr, int length) {  
  case singleton{L}:  
    \forallall int* arr; sorted{L}(arr,0);  
  case trans{L}:  
    \forallall int* arr, integer length;  
    sorted{L}(arr,length)  
    && arr[length-1] <= arr[length]  
    ==> sorted{L}(arr,length + 1);  
} */  
  
/*@ requires sorted{Here}(arr,length);  
requires \valid(arr+(0..length-1));  
requires length >= 0;  
*/  
int find_array(int* arr, int length, int query);
```



Implementation of find_array

```

int find_array(int* arr, int length, int query)
{
  int min = 0;
  int max = length - 1;
  int mean;
  while (min <= max) {
    mean = min + (max - min) / 2;
    if (arr[mean] == query) return mean;
    if (arr[mean] < query)
      min = mean + 1;
    else
      max = mean - 1;
  }
  return -1;
}

```



Loop annotations

```

/*@ loop invariant 0<= min < length;
    loop invariant 0<= max < length;
    loop invariant
      \forall integer i;
        0<=i<min ==> arr[i] < query;
    loop invariant
      \forall integer i;
        max<i<length ==> arr[i] > query;
    loop assigns mean, min, max;
    loop variant max - min;
*/
while (min <= max) { ... }

```



```

while (min <= max) {
    mean = min + (max - min) / 2;
    /*@ assert min <= mean <= max; */
    if (arr[mean] == query) return mean;
    if (arr[mean] < query)
        min = mean + 1;
    else
        max = mean - 1;
}

```



Presentation

ACSL Specifications

- Function contracts

- First-order logic

- Loops

- Assertions

Deductive Verification

- Hoare logic

- Pointers and Memory

- Jessie Plugin

```
long n;  
for (i = 0; i < n; i++)  
  tmp2 =  
  // ...  
  // ...  
  // ...
```

```
tmp2[j] = (i < (n-1) ? tmp1[j] : 0);  
tmp1[j] = 0; k = i; while (tmp1[k] != mc2[j][k] * tmp2[k]) k++;  
// The [j][k] coefficient of the matrix product MC2*TMP2, that is, *MC2[j][k] * M1 = MC2 * M1 * MC1  
// i = i; tmp1[j] += ...; Final rounding: tmp2[j] is now represented on 9 bits: *if (tmp1[j] < -256) m2[j] = -256; else if (tmp1[j] > 255) m2[j] = 255; else m2[j] = tmp1[j];
```



- ▶ Introduced by Floyd and Hoare (70s)
- ▶ Hoare triple: $\{P\}s\{Q\}$, meaning: *If P holds, then Q will hold after the execution of statement s*
- ▶ Deduction rules on Hoare triples: *Axiomatic semantic*



Some rule examples

$$\frac{}{\{P\}\{P\}} \quad \frac{P \Rightarrow P' \quad \{P'\}s\{Q'\} \quad Q' \Rightarrow Q}{\{P\}s\{Q\}}$$

$$\frac{\{P\}s_1\{R\} \quad \{R\}s_2\{Q\}}{\{P\}s_1;s_2\{Q\}} \quad \frac{e \text{ evaluates without error}}{\{P[x \leftarrow e]\}x=e;\{P\}}$$

$$\frac{\{P \wedge e\}s_1\{Q\} \quad \{P \wedge !e\}s_2\{Q\}}{\{P\} \text{ if } (e) \text{ s}_1 \text{ else s}_2\{Q\}}$$

$$\frac{\{I \wedge e\}s\{I\}}{\{I\} \text{ while } (e) \text{ s}\{I \wedge !e\}}$$



Weakest pre-condition

- ▶ Program seen as a **predicate transformer**
- ▶ Given a function s , a pre-condition Pre and a post-condition $Post$
- ▶ We start from $Post$ at the end of the function and go backwards
- ▶ At each step, we have a property Q and a statement s , and compute the *weakest pre-condition* P such that $\{P\}s\{Q\}$ is a valid Hoare triple.
- ▶ When we reach the beginning of the function with property P , we must prove $Pre \Rightarrow P$.



Some rules

- ▶ Assignment

$$WP(x=e, Q) = Q[x \leftarrow e]$$

- ▶ Sequence

$$WP(s_1; s_2, Q) = WP(s_1, WP(s_2, Q))$$

- ▶ Conditional

$$WP(\text{if } (e) \text{ } s_1 \text{ else } s_2, Q) = e \Rightarrow WP(s_1, Q) \wedge !e \Rightarrow WP(s_2, Q)$$

- ▶ While

$$WP(\text{while } (e) \text{ } s, Q) = I \wedge \forall \omega. I \Rightarrow (e \Rightarrow WP(s, I) \wedge !e \Rightarrow Q)$$



Memory Model

Issue

How can we represent memory operations ($*x, a[i]=42, \dots$) in the logic

- ▶ If too low-level (a big array of bytes), proof obligations are intractable.
- ▶ If too abstract, some C constructions can not be represented (arbitrary pointer casts, aliasing)
- ▶ Standard solution (Burstal-Bornat): replace struct's components by a function



Issue

The same memory location can be accessed through different means:

```
int y;  
int* yptr = &y;  
*yptr = 3;  
/*@ assert y == 3; */
```

- ▶ Again, supposing that any two pointers can be aliases would lead to intractable proof obligations.
- ▶ Memory is separated in disjoint regions
- ▶ Some hypotheses are done (as additional pre-conditions)



What is Jessie?

- ▶ Hoare-logic based plugin, developed at INRIA Saclay.
- ▶ Input: a program and a specification
- ▶ Jessie generates **verification conditions**
- ▶ Use of **Automated Theorem Provers** to discharge the VCs
- ▶ If all VCs are proved, **the program is correct** with respect to the specification
- ▶ Otherwise: need to investigate why the proof fails
 - ▶ Fix bug in the code
 - ▶ Adds additional annotations to help ATP
 - ▶ Interactive Proof (Coq/Isabelle)



What is Jessie Useful for?

Usage

- ▶ Proof of functional properties of the program
- ▶ Modular verification (function per function)

Limitations

- ▶ Cast between pointers and integers
- ▶ Limited support for union type
- ▶ Aliasing requires some care

if (long ra
t for 0 <=
C1) if (m
tmp2 =
of the

tmp2[0] = (1 << (nbl - 1)) else if (tmp1[0]) >= (1 << (nbl - 1)) tmp2[0] = (1 << (nbl - 1)) + tmp2[0]; /* Then the second part looks like the first one: *
tmp1[0][k] = 0; k = 8; k++) tmp1[0][k] += mc2[0][k] * tmp2[0][k]; /* The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1 *MC1
i = 1; tmp1[0][i] >>= 1; /* Final rounding: tmp2[0][i] is now represented on 9 bits. *if (tmp1[0][i] < -256) m2[0][i] = -256; else if (tmp1[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tm



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```

long n;
for (i = 0; i < n; i++)
    tmp2 =
    // ...
    // ...
    // ...
    
```

```

tmp2[j] = (i < (n1 - 1) ? tmp1[j] : 0) + (i < (n1 - 1) ? tmp2[j] : 0);
tmp1[i] = 0; k = 0; k++ tmp1[i][j] += m2[i][k] * tmp2[k][j];
// The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1
// i = 1, tmp1[0][i] >= 1, ... Final rounding: tmp2[0][i] is now represented on 9 bits: *if (tmp1[0][i] < -256) m2[0][i] = -256; else if (tmp1[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tmp1[0][i];
    
```



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```

long ra
for (i = 0; i < n; i++)
    tmp2 =
    of the

```

```

tmp2[i] = (i < (n-1) ? tmp1[i] : 0);
tmp1[i] = 0; k = 0; k++) tmp1[i][k] = mc2[i][k] * tmp2[k];
The [i][j] coefficient of the matrix product MC2*TMP2, that is, *MC2*(TMP1) = MC2*(MC1*M1) = MC2*M1*MC1
i = 1; tmp1[i][i] >>= 1; Final rounding: tmp2[i] is now represented on 9 bits: *if (tmp1[i] < -255) m2[i] = -255; else if (tmp1[i] > 255) m2[i] = 255; else m2[i] = tmp1[i];

```



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long n;
for (i = 0; i < n; i++)
c[i] = 0;
tmp2 = ...
of the

tmp2[0] = 1; for (k = 1; k < n; k++) tmp2[k] = mc2[0][k] * tmp2[0][0];
The [i][j] coefficient of the matrix product MC2 * TMP2, that is, *MC2*(TMP1) = MC2*(MC1 * M1) = MC2 * M1 * MC1.
i = 1; tmp1[0][i] >>= 1; Final rounding: tmp2[0][i] is now represented on 9 bits. *if (tmp1[0][i] < -256) m2[0][i] = -256; else if (tmp1[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tmp1[0][i];



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long n;
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tmp2[0] = 1; for (k = 1; k < n; k++) tmp2[k] = mc2[0][k] * tmp2[0][0];
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i = 1; tmp2[0][i] >>= 1; Final rounding: tmp2[0][i] is now represented on 9 bits: *if (tmp2[0][i] < -256) m2[0][i] = -256; else if (tmp2[0][i] > 255) m2[0][i] = 255; else m2[0][i] = tmp2[0][i];

What is Jessie Useful for?

Usage

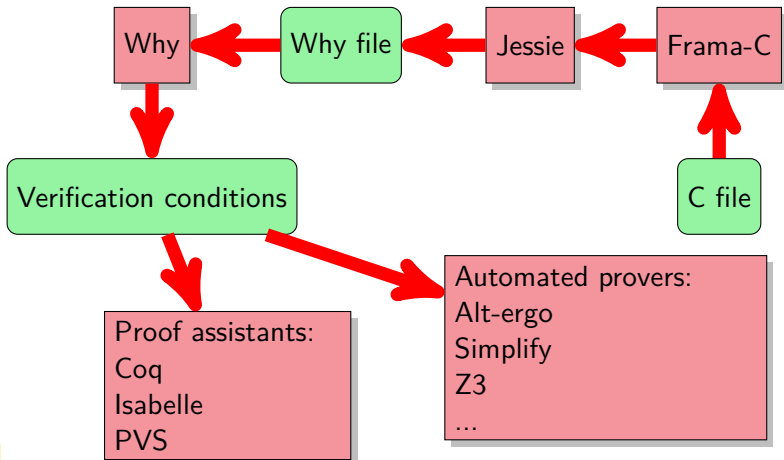
- ▶ Proof of functional properties of the program
- ▶ Modular verification (function per function)

Limitations

- ▶ Cast between pointers and integers
- ▶ Limited support for union type
- ▶ Aliasing requires some care



From Frama-C to Theorem Provers



▶ Launch GUI:

```
frama-c -jessie file.c
```

▶ Batch processing with alt-ergo:

```
frama-c -jessie -jessie-atp alt-ergo file.c
```

▶ Generate Coq file (to be completed interactively):

```
frama-c -jessie -jessie-atp coq file.c
```

▶ Concentrate on functional properties:

```
frama-c -jessie -jessie-behavior default file.c
```

▶ Concentrate on safety properties:

```
frama-c -jessie -jessie-behavior safety file.c
```

